

# Outline

- A. First star formation
- B. First star feedback
- C. Large-scale reionization
- D. Open questions/simulations

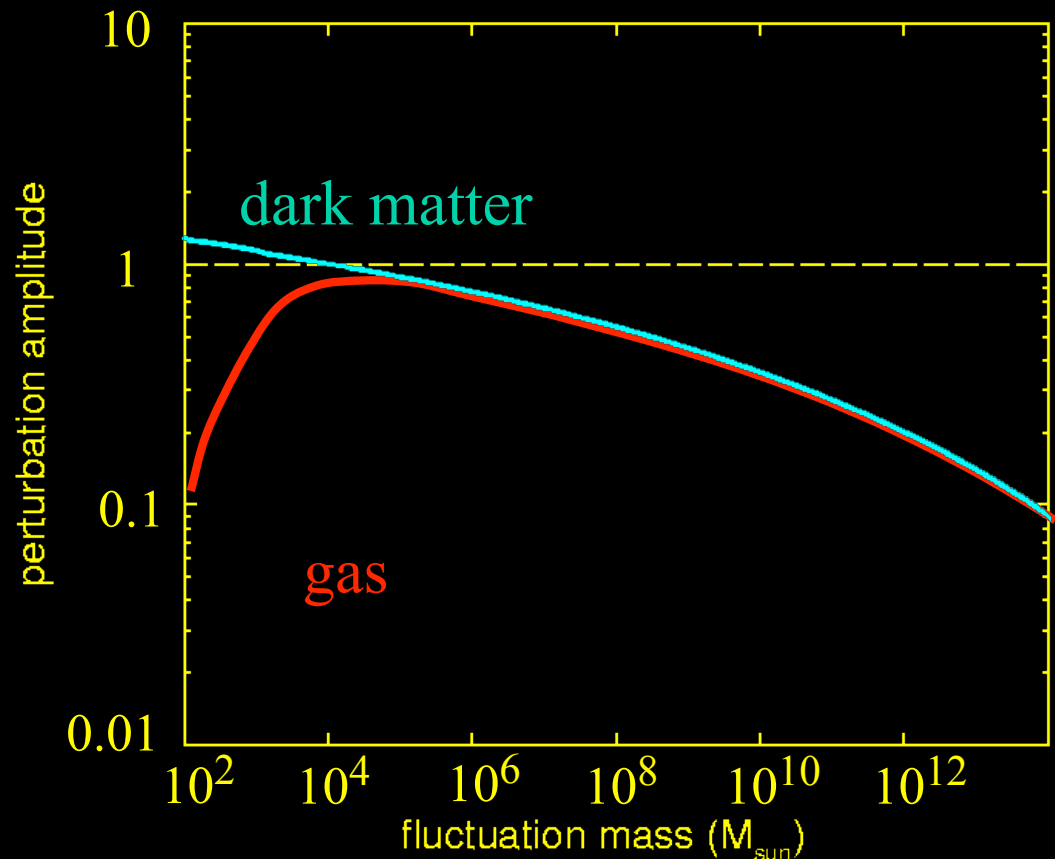
# Dark matter vs. gas

- Dark matter clumps on all scales
- Gas resists clumping below Jeans length  
(when thermal pressure balances gravity)

$$- M_J =$$

$$\sim 10^4 M_{\text{sun}}$$

- $M_{\text{cloud}} > M_J$  necessary

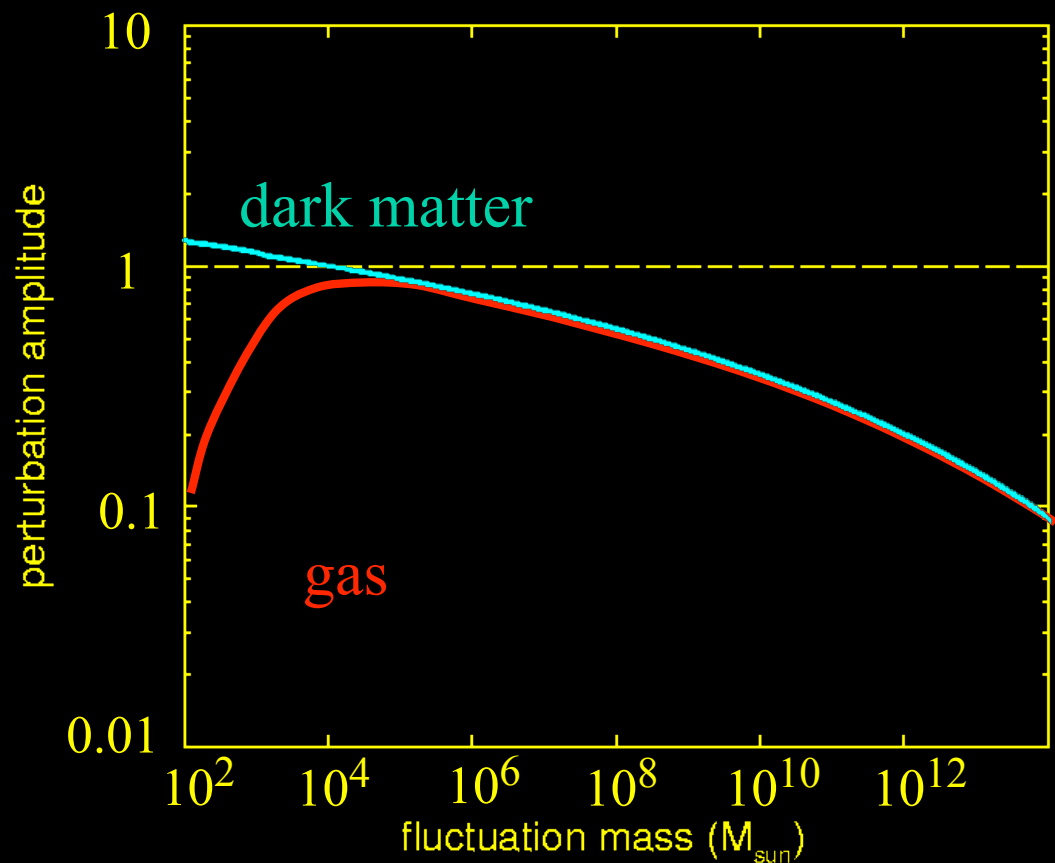


# Dark matter vs. gas

- Dark matter clumps on all scales
- Gas resists clumping below Jeans length  
(when thermal pressure balances gravity)

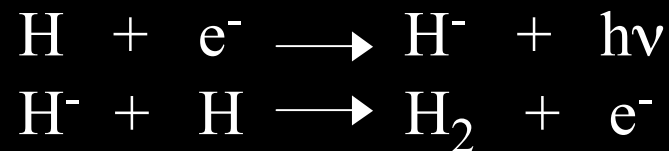
$$- M_J = \sim 10^4 M_{\text{sun}}$$

- $M_{\text{cloud}} > M_J$  necessary but not sufficient
- Cloud must also cool:



# Cooling: Why H<sub>2</sub>?

- No “heavy” molecules (e.g. CO)
- Cloud collapses (virializes):  $T \sim T_{\text{vir}} \sim M^{2/3}(1+z)$ 
  - Set by initial conditions and dark matter
  - If  $T_{\text{vir}} < 10^4$  K: No H line cooling, only H<sub>2</sub>
  - If  $T_{\text{vir}} > 10^4$  K: H line cooling dominates
- H<sub>2</sub> formed in gas phase (no dust)
  - catalyzed by free electrons, strongly T dependent



# Cooling: Why H<sub>2</sub>?

- Cooling efficiency depends on:
  - amount of H<sub>2</sub>
  - Temperature (cooling rate  $\sim T^4$ )
- Minimum H<sub>2</sub> fraction for efficient cooling
  - $f(\text{H}_2) \sim 10^{-3}$
  - $T_{\text{vir}} \sim 1000 \text{ K}$
$$\left. \begin{array}{l} - f(\text{H}_2) \sim 10^{-3} \\ - T_{\text{vir}} \sim 1000 \text{ K} \end{array} \right\} t_{\text{cool}} = t_{\text{age}}$$

# First Stars: Two mass scales

## (1) Overall mass of the “microgalaxy” ( $M_{\text{cloud}}$ )

–  $M_{\text{cloud}} \sim 10^6 M_{\text{sun}}$  (minimum cooling scale)

- $z \sim 20$

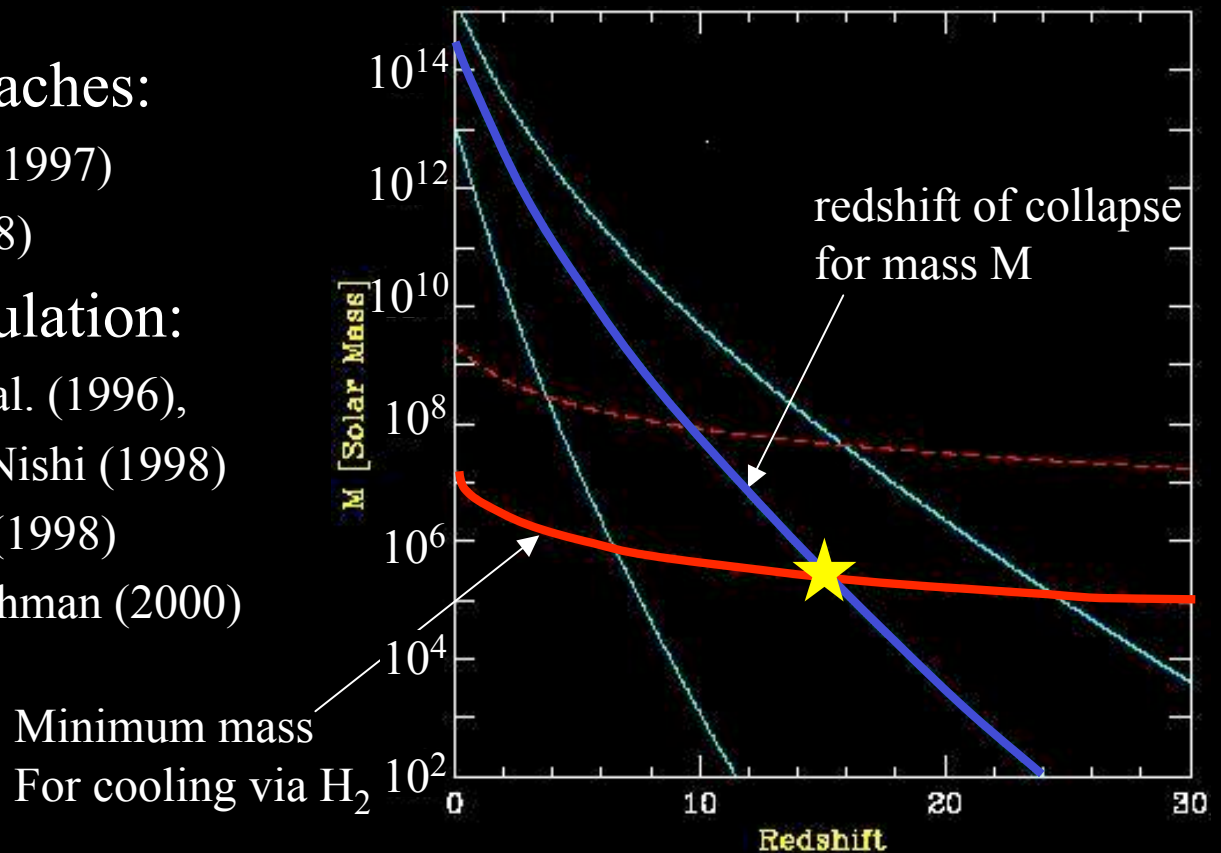
– Analytic approaches:

- Tegmark et al. (1997)
- Abel et al. (1998)

– Numerical simulation:

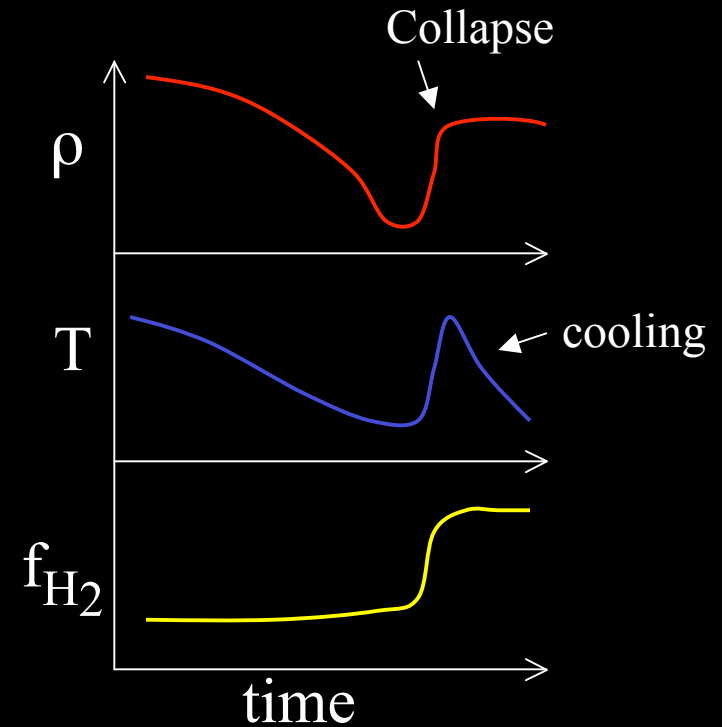
- 1D: Haiman et al. (1996),  
Omukai & Nishi (1998)
- 3D: Abel et al. (1998)  
Fuller & Couchman (2000)

Barkana & Loeb 2001



# $M_{\text{cloud}}$ : Analytic approach

- Guess  $M_{\text{cloud}}$  ( $M_{\text{vir}}$  &  $z_{\text{vir}}$ )
- Assume spherical symmetry
  - Use “top-hat” solution:  $\rho(z)$
- Calculate  $n_{\text{H}_2}(z)$ ,  $T(z)$ 
  - Solve rate equations for  $\text{H}_2$
  - Solve heating/cooling rates
- Stop when  $T(z=z_{\text{cool}})$  falls below  $0.75T(z_{\text{vir}})$
- For given cosmology: find  $M_{\text{vir}}$  with smallest  $z_{\text{cool}}$



# First Stars: Two mass scales

## (2) Stellar Mass ( $M_*$ ) or IMF

- More difficult
  - substructure, fragmentation,  $H_2$ , multi-scale
- $M_* < 10^6 M_{\text{sun}}$
- Analytically predicted  $M_*$ :  $M_{\text{planet}} \rightarrow 10^6 M_{\text{sun}}$
- Requires full numerical simulation
  - 1D: Haiman et. al (1996)
  - 2D: Nakamura & Umemura (2000)
  - 3D: Abel et. al (1998), Bromm et. al (1999), Abel et. al (2001), Bromm et. al (2003)



# The first stars are different

	first generation of stars	present-day star formation
Coolant	H <sub>2</sub> (gas-phase)	CO, etc.
Equation of state	“adiabatic” (slow cooling)	isothermal (fast cooling)
Typical temperature	500 K	10 K
Initial conditions	well-prescribed	Uncertain
Magnetic fields	(probably) absent	dynamically important

# Simulating the first stars

- Primordial star formation easier...
  - No heavy elements, ionizing radiation, magnetic fields
  - Primary coolant: H<sub>2</sub>
    - $T < 9000 \text{ K} \rightarrow$  H line cooling unimportant
- ...but still hard:
  - H<sub>2</sub> abundance out of equilibrium
  - Resolution required:  $L/r_{\text{sun}} \sim 10^{23} \text{ cm} / 10^{11} \text{ cm} \sim 10^{12}$
  - Fragmentation? ( $M_{\text{star}} \ll M_{\text{cloud}}$ )

# The equations

1. Fluid equations

$$\left(\frac{\partial \rho}{\partial t}\right)_r + \vec{v} \cdot \nabla_r \rho = -\rho \nabla_r \cdot \vec{v},$$

$$\left(\frac{\partial \vec{v}}{\partial t}\right)_r + (\vec{v} \cdot \nabla_r) \vec{v} = -\frac{1}{\rho} \nabla_r p - \nabla_r \phi,$$

$$\left(\frac{\partial E}{\partial t}\right)_r + \vec{v} \cdot \nabla_r E = -\frac{1}{\rho} \nabla_r \cdot (p\vec{v}) - \vec{v} \cdot \nabla_r \phi,$$

2. Ideal Gas

$$E = e + \frac{1}{2} \vec{v} \cdot \vec{v},$$

$$e = p / [(\gamma - 1)\rho],$$

3. Gravity

$$\nabla_r^2 \phi = 4\pi G(\rho_{total} + 3p_{total}/c^2) - \Lambda.$$

4. Dark matter

$$\rho_{total} = \rho_{gas} + \rho_{particles}$$

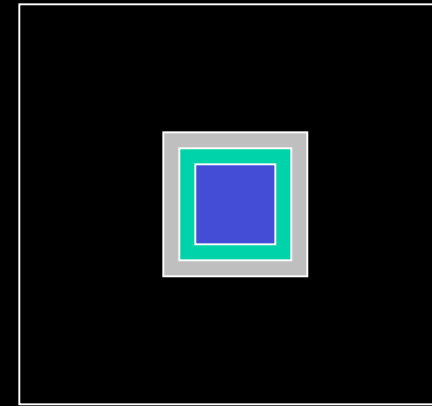
5. nine species:

$$\text{H, H}^+, \text{He, He}^+, \text{He}^{++}, \text{e}^-, \text{H}^-, \text{H}^+, \text{H}_2$$

6. Radiative cooling/heating

# The simulation: focus on one ( $2.5\sigma$ ) halo

- $L = 128$  kpc, SCDM,  $z_{\text{init}} = 100$
- 4 levels of AMR pre-refined:
  - $M_{\text{DM}} = 1 M_{\text{sun}}$ ,  $M_{\text{gas}} = 0.07 M_{\text{sun}}$
- Refine up to 30 levels
- DM, gas, gravity
  - Non-equilibrium chemistry for 9 species
  - Cooling/heating from  $\text{H}_2$ , Compton, etc
- Refinement criteria:
  - (1) dm density, (2) gas density (3)  $\Delta x < L_J/16$



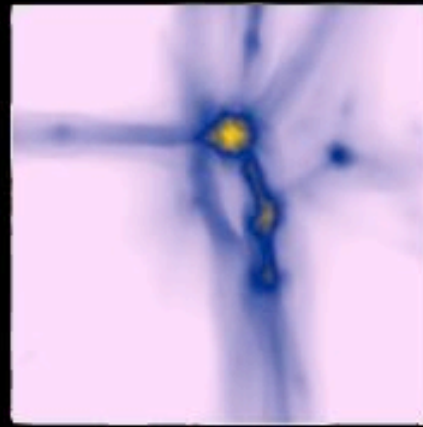
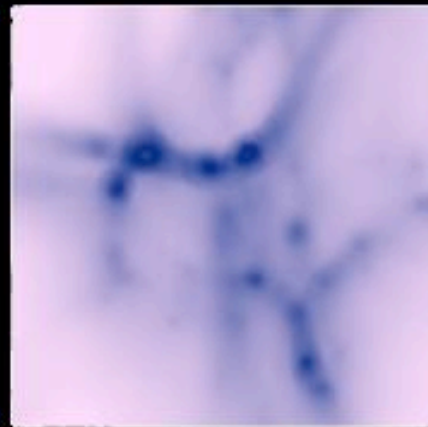
# Evolution of the Cloud

12 comoving kpc on a side, projection of 0.001 of the simulation volume

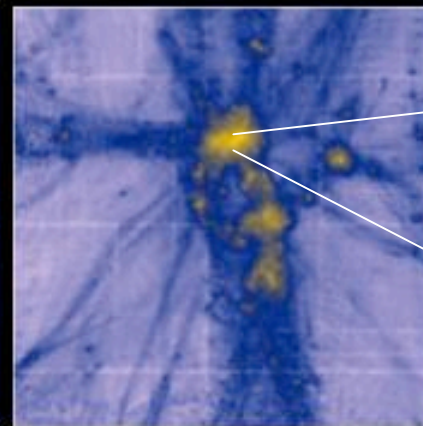
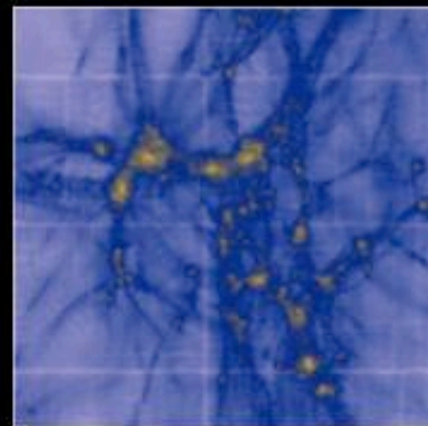
Z=100

Z=24

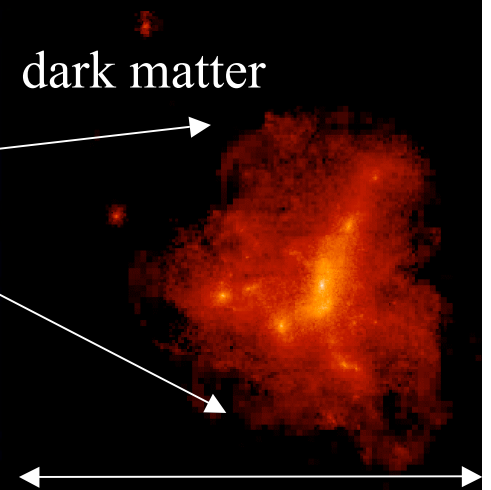
Z=20.4



gas



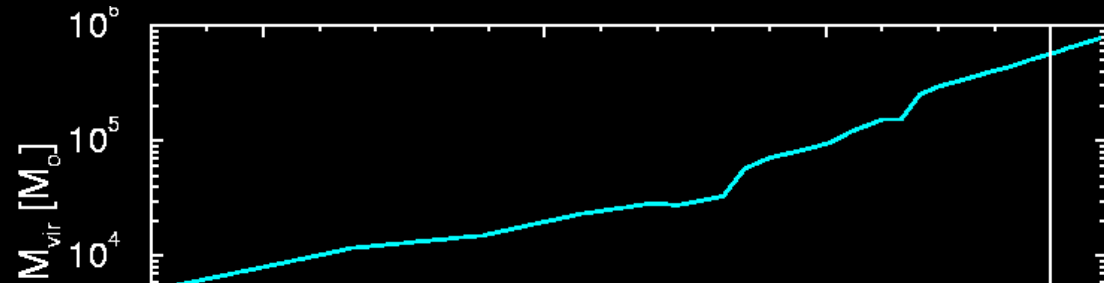
dark matter



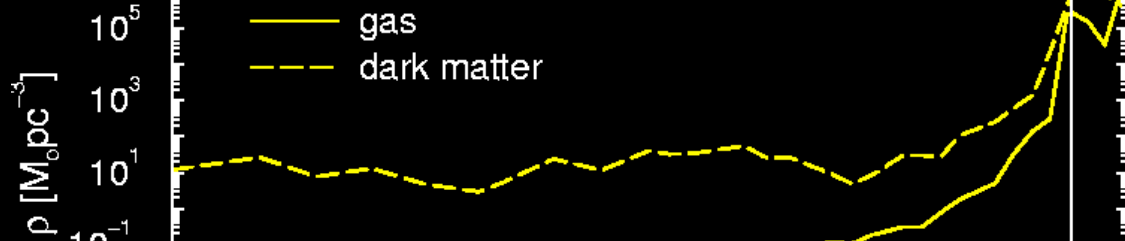
300 pc comoving

# Primordial molecular cloud evolution

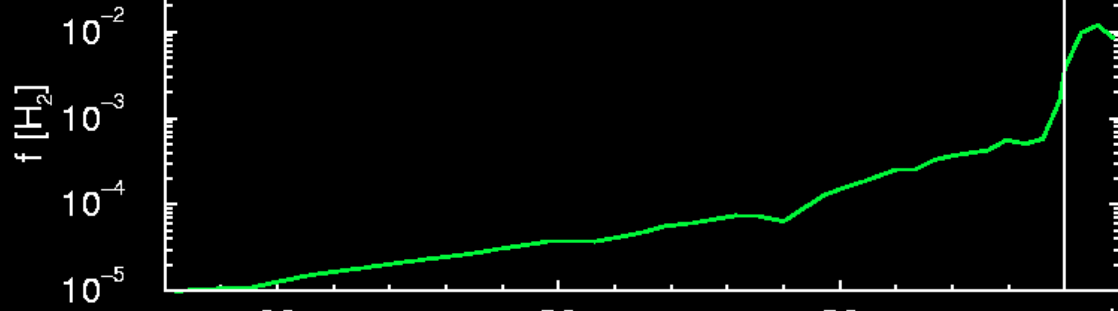
$M_{\text{cloud}}$



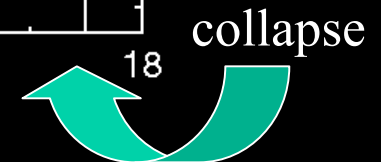
Central density



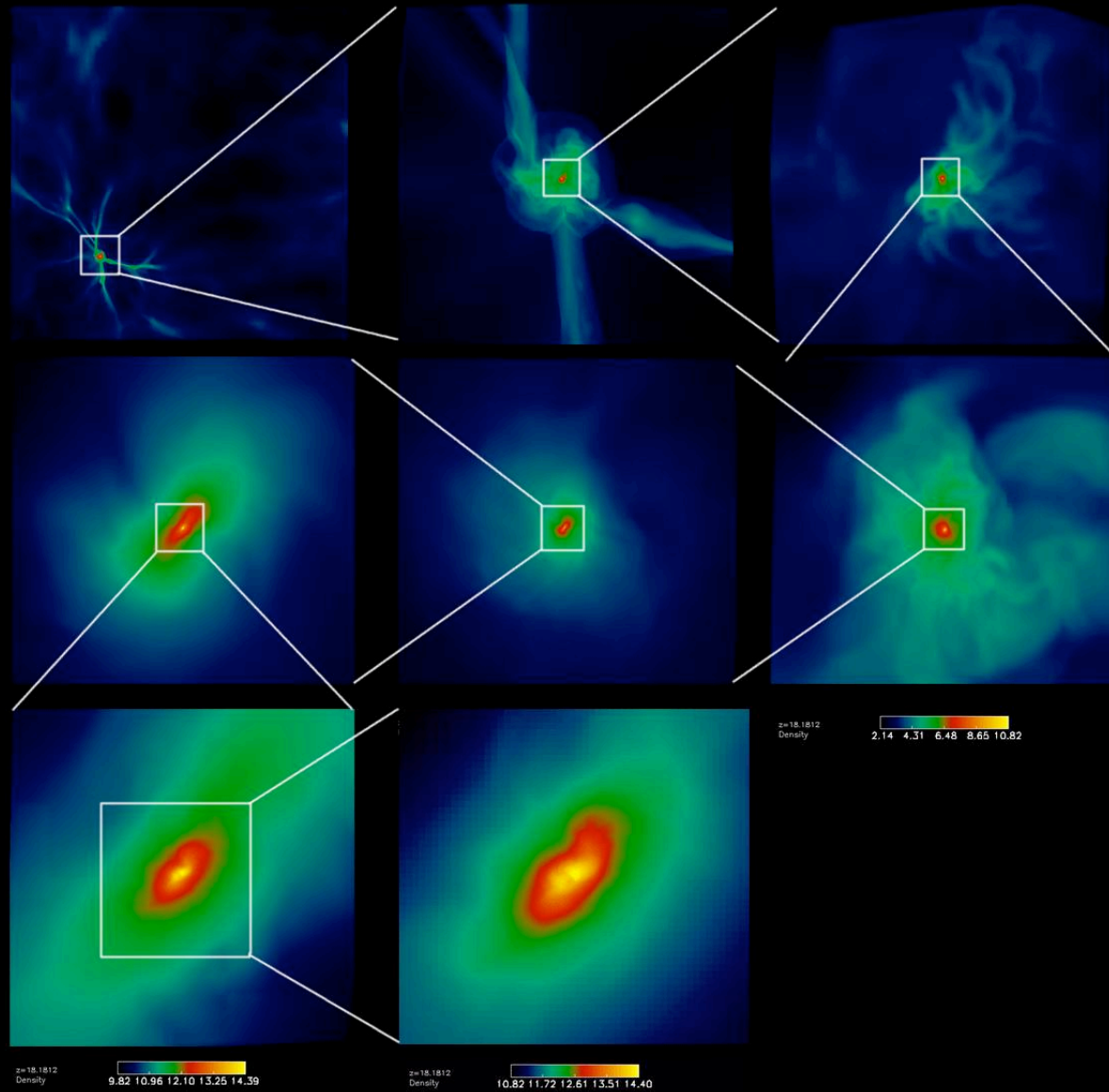
H<sub>2</sub> fraction



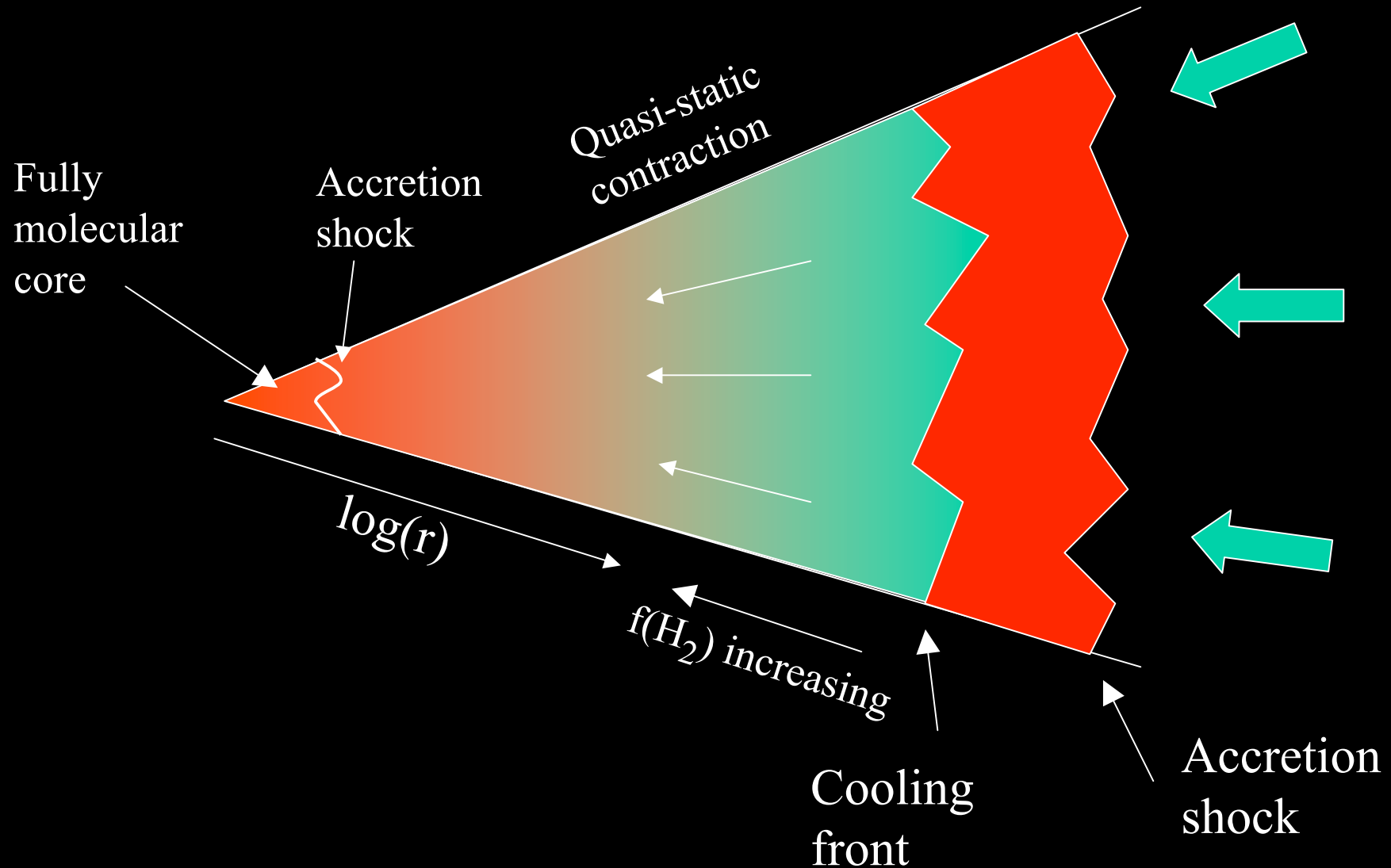
time → z



# First star formation

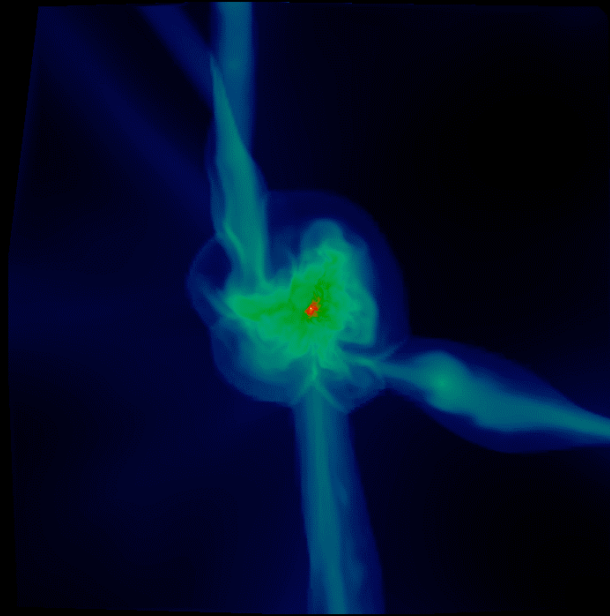


# Microgalaxy structure



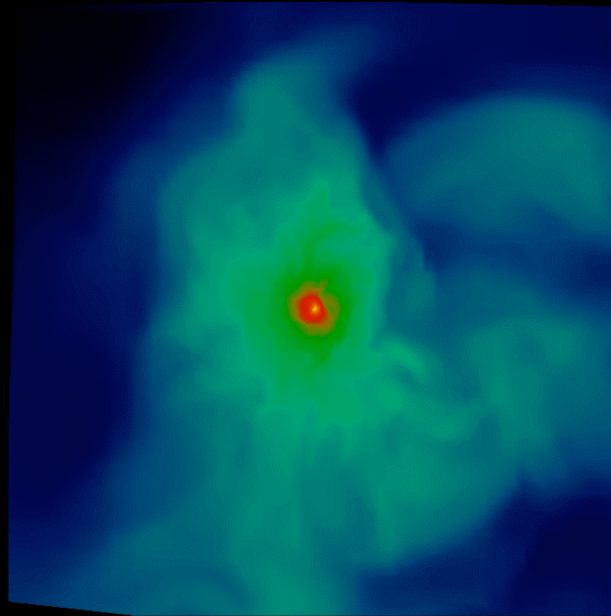


# Density slice ( $z=18.2$ )



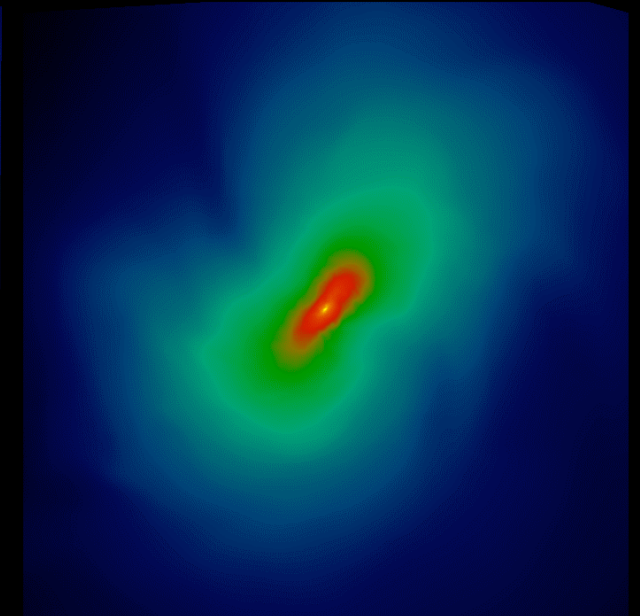
$z=18.1812$   
Density  
-1.36 0.78 2.92 5.06 7.20

600 pc



$z=18.1812$   
Density  
2.14 4.31 6.48 8.65 10.82

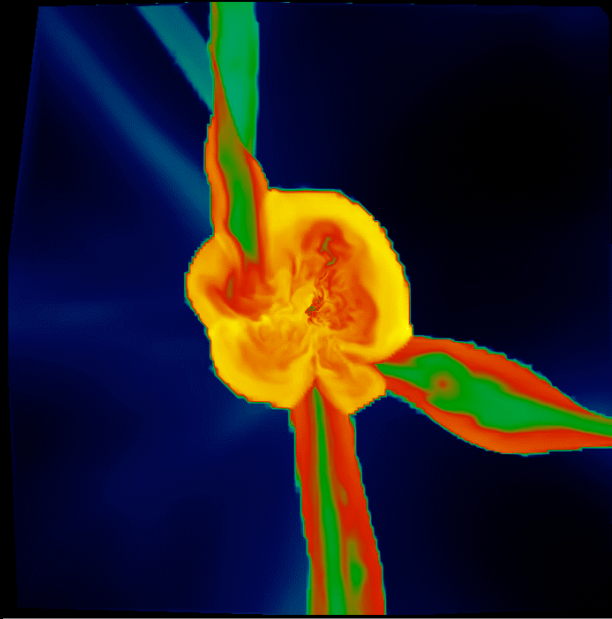
6 pc



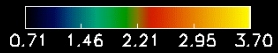
$z=18.1812$   
Density  
7.72 9.30 10.89 12.47 14.05

0.06 pc

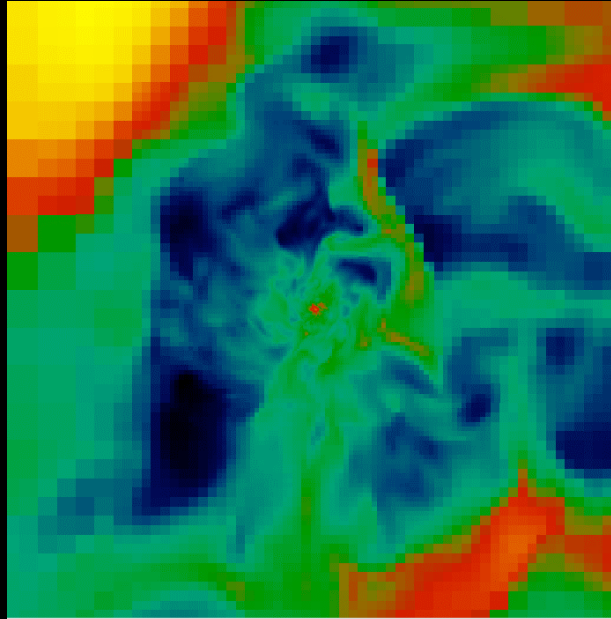
# Temperature slice ( $z=18.2$ )



$z=18.1812$   
Temperature



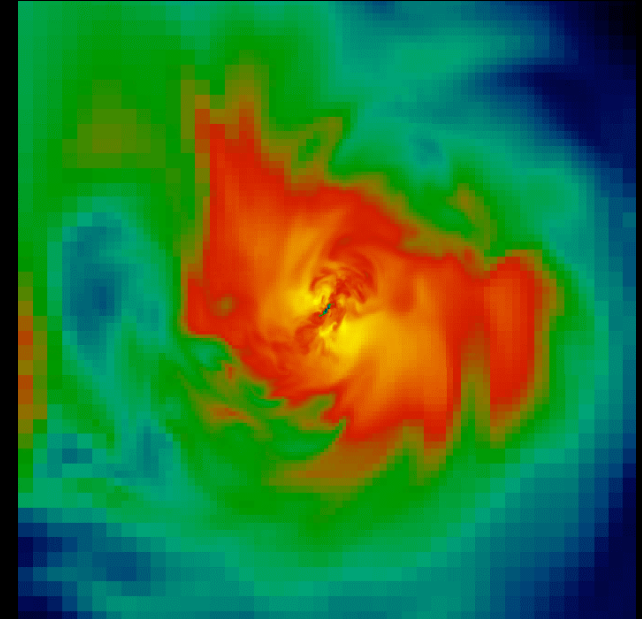
600 pc



$z=18.1812$   
Temperature



6 pc



$z=18.1812$   
Temperature

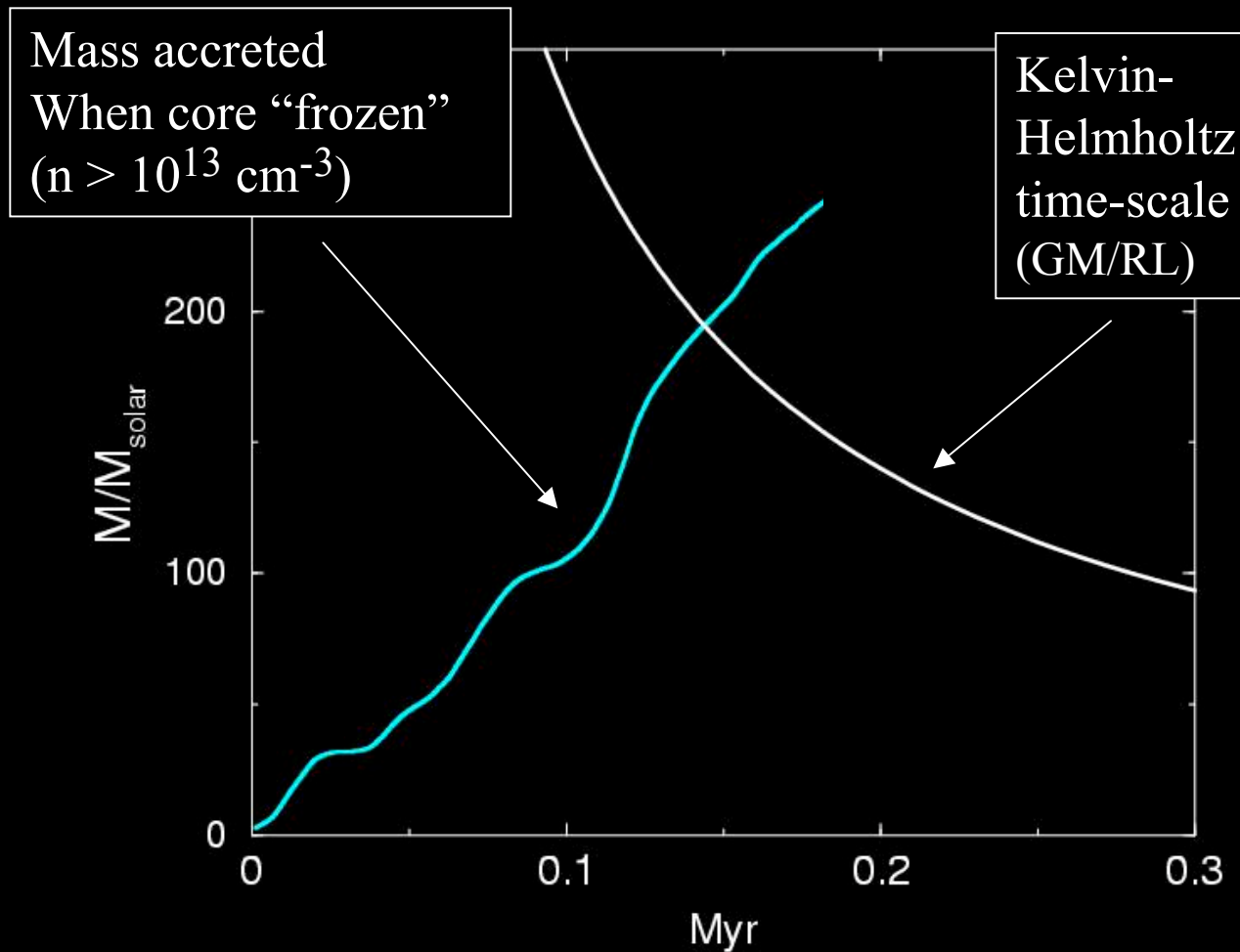


0.06 pc

# What are the masses of the first stars?

- Calculation stopped when core is optically thick to H<sub>2</sub> line cooling
  - Protostar is final state of this calculation
- What can we say about final stellar mass?
  - M<sub>\*</sub> depends on accretion and radiative transfer
  - 1D Radiative transfer calculations imply that
    - M<sub>\*</sub> limited by accretion
      - Omukai & Nishi (1998), Ripamonti et al. (2001)
- No fragmentation so far

# What are the masses of the first stars?



This mass scale is  
set by the Jeans  
mass at  
 $n_{\text{crit}} \sim 10^4 \text{ cm}^{-3}$

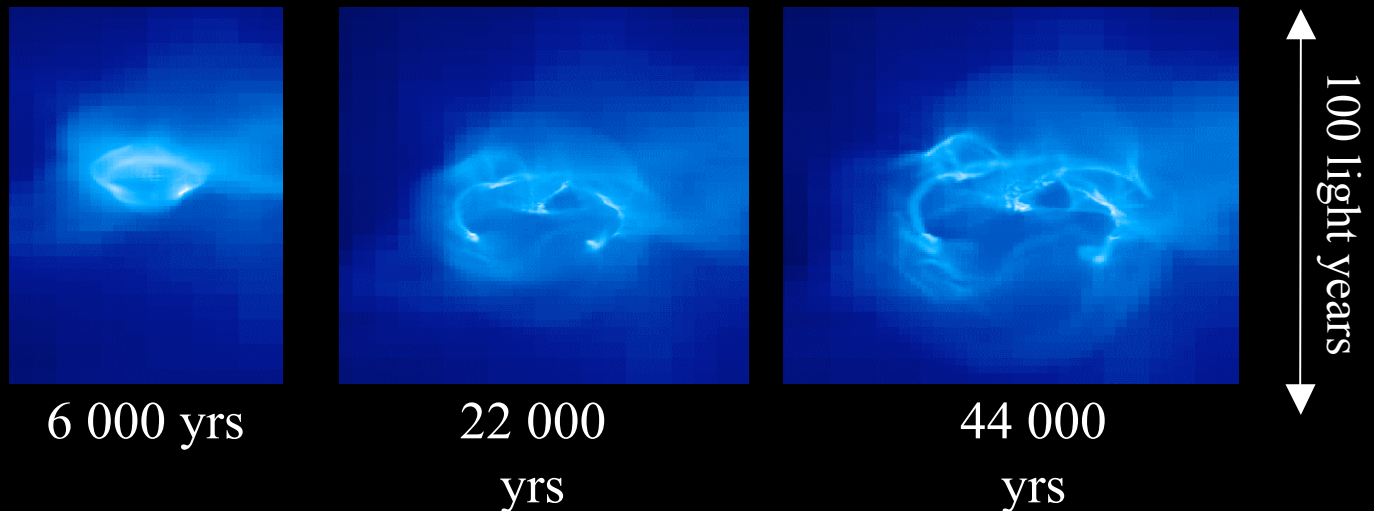
For  $\text{H}_2$  cooling:

$$n < n_{\text{crit}} \rightarrow t_{\text{cool}} \sim n^{-1}$$

$$n > n_{\text{crit}} \rightarrow t_{\text{cool}} \sim \text{constant}$$

# What is the “Initial Mass Function” of the first stars?

- What about other objects in cloud?
  - Can they form before 1<sup>st</sup> goes SN?
  - No: only one object per cloud
    - Only 1 clump in cloud after a few Myr
    - 1 Supernova can unbind cloud
- Only one (massive) star produced per microgalaxy!



# Have pop III stars been found locally?

- Extremely low metallicity stars have been found
  - $[\text{Fe}/\text{H}] = -5.2$  (HE0107-5240; Christlieb et al 2002)
  - $[\text{Fe}/\text{H}] = -5.4$  (HE1327-2326; Frebel et al. 2005)
  - Both are low mass stars
- Is this star:
  - Pop III with accretion (binary?)
  - Pop II with a small amount of pre-enrichment
    - (e.g. Iwamoto et al 2005)
- Both stars have relatively high C abundance
  - Cooling comes mostly from CII

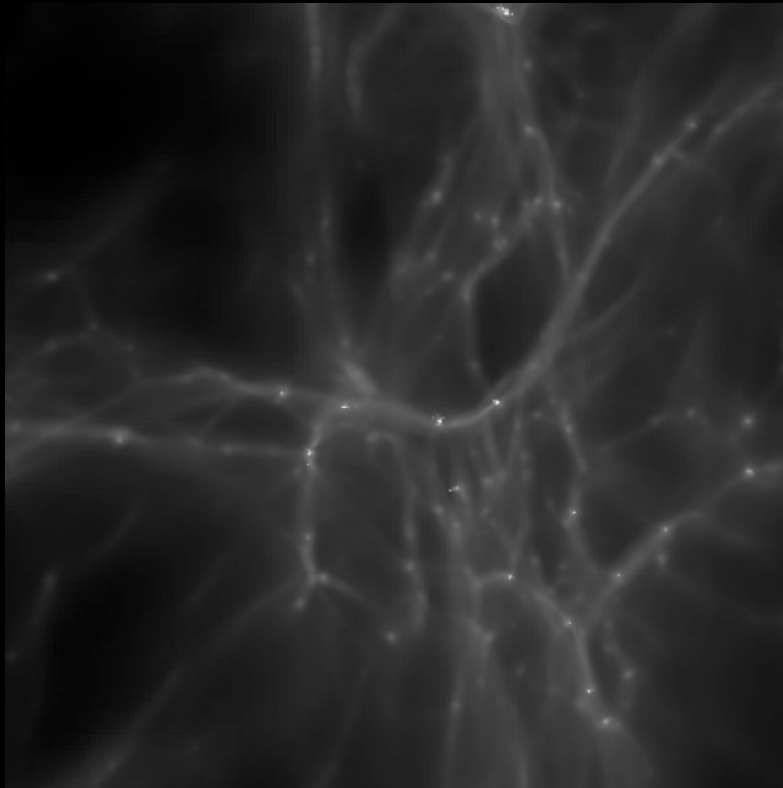
## B. Feedback from the first stars

1. H<sub>2</sub> Photo-dissociating flux (11-13 eV)
  - Suppresses new “first” star formation
2. Ionizing radiation from the first stars:
  - Positive? (more stars, leading to runaway)
    - Ionization → free e<sup>-</sup> → more H<sub>2</sub> → more cooling (Haiman, Rees & Loeb 1996)
  - Negative? (fewer stars, self-suppression)
    - Ionization → heating → outflows → lower density gas
3. Impact of the first supernovae
  - Metals: “regular” star formation mode ( [Z<sub>crit</sub>] = -3.5)
    - Produces smaller stars (like sun)
    - Due to more efficient cooling (particularly Carbon)
  - Energy

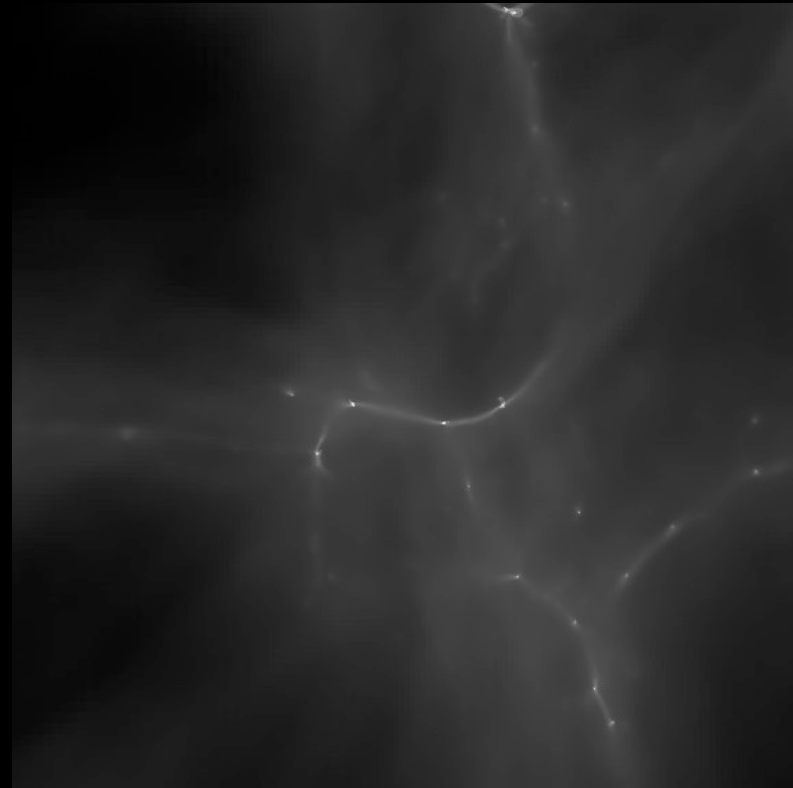
## 2. The impact of ionization on the first stars

Log density at  $z=17.5$

12 kpc



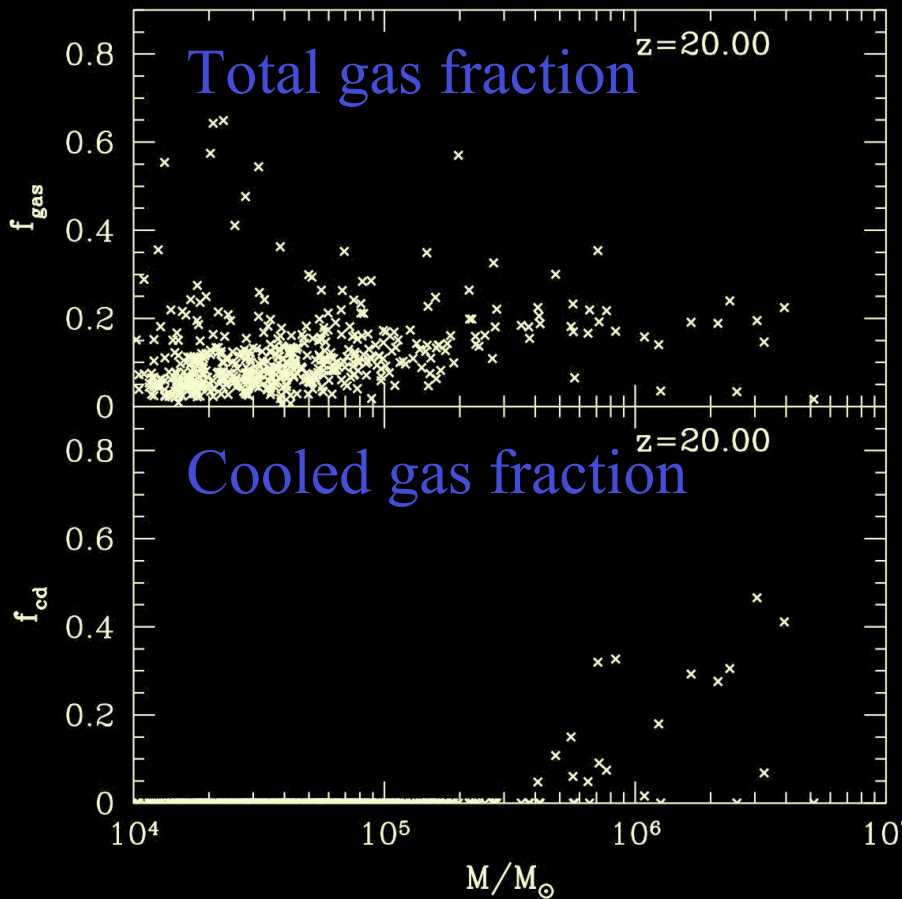
No ionizing flux



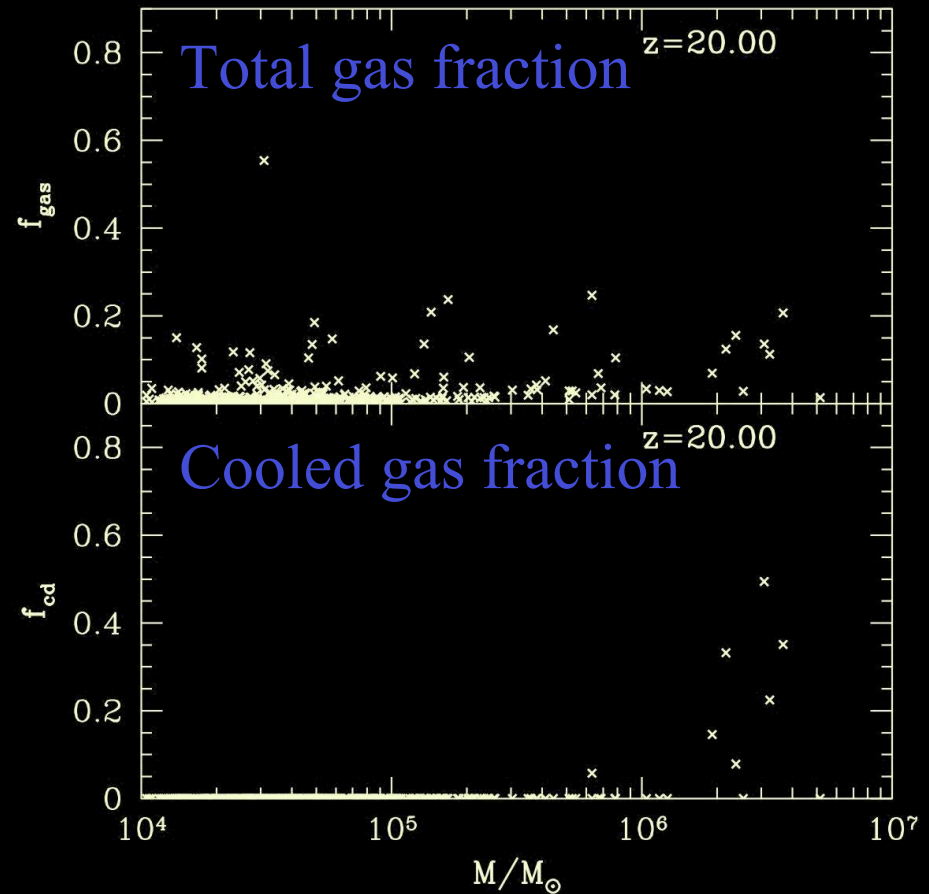
With ionizing flux  
( $F_{21} = 10$  for 3 Myr at  $z=25$ )



# Impact of Reionization



No ionizing flux



With ionizing flux  
( $F_{21} = 10$  for 3 Myr at  $z=25$ )

# Why is there no fragmentation?

- Fragmentation criteria:
  - $t_{\text{cool}} < t_{\text{dyn}}$  ( $t_{\text{dyn}} \sim n^{-1/2}$ )
- At low densities,  $\text{H}_2$  is mostly in ground state
  - $t_{\text{cool}} \sim n^{-1}$
- At high densities ( $n > 10^4 \text{ cm}^{-3}$ )
  - Excited states populated
  - $t_{\text{cool}}$  is constant



Imprints mass scale  
of  $\sim 200 M_{\text{solar}}$   
(Jeans mass at  $n \sim 10^4 \text{ cm}^{-3}$   
and  $T \sim 300 \text{ K}$ )

# Why is there no fragmentation?

- Thermally unstable?

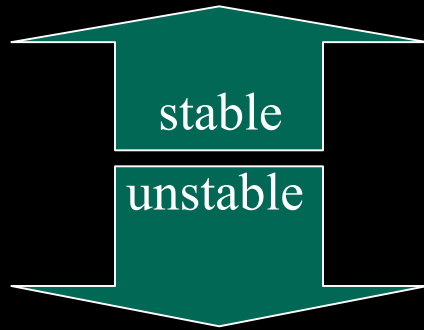
$$\rho \left. \frac{dL}{d\rho} \right|_T - T \left. \frac{dL}{dT} \right|_\rho + L(\rho, T) > 0$$

(Hunter 1970)

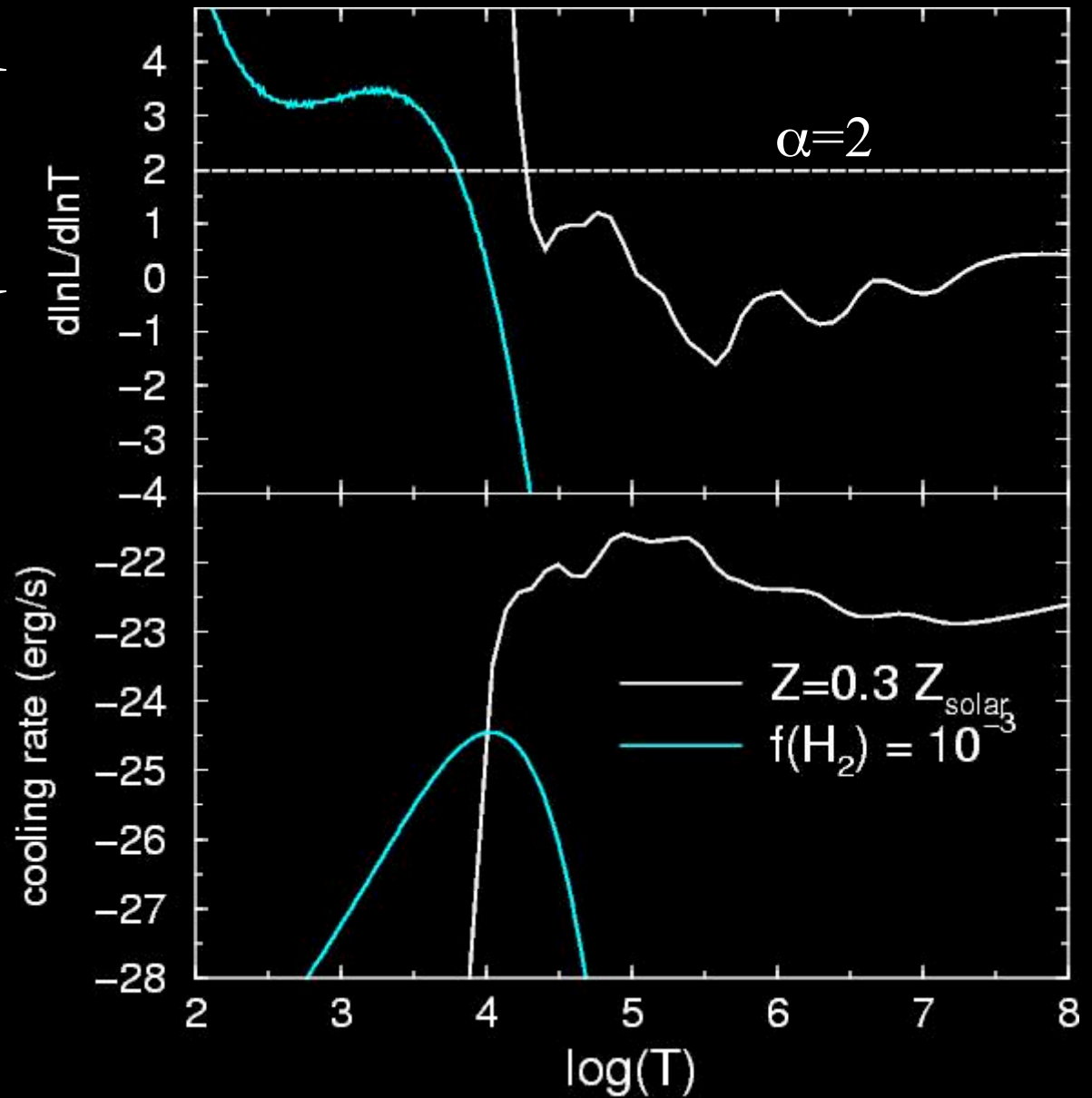
- If cooling rate per unit mass is:

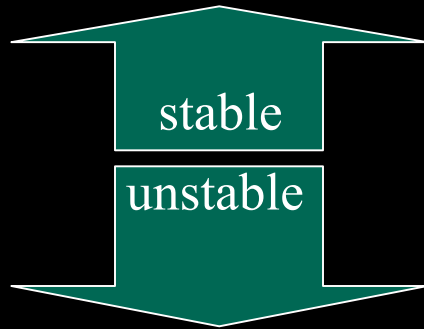
$$L = A\rho T^\alpha$$

- unstable if  $\alpha < 2$



# Thermal (cooling) instability



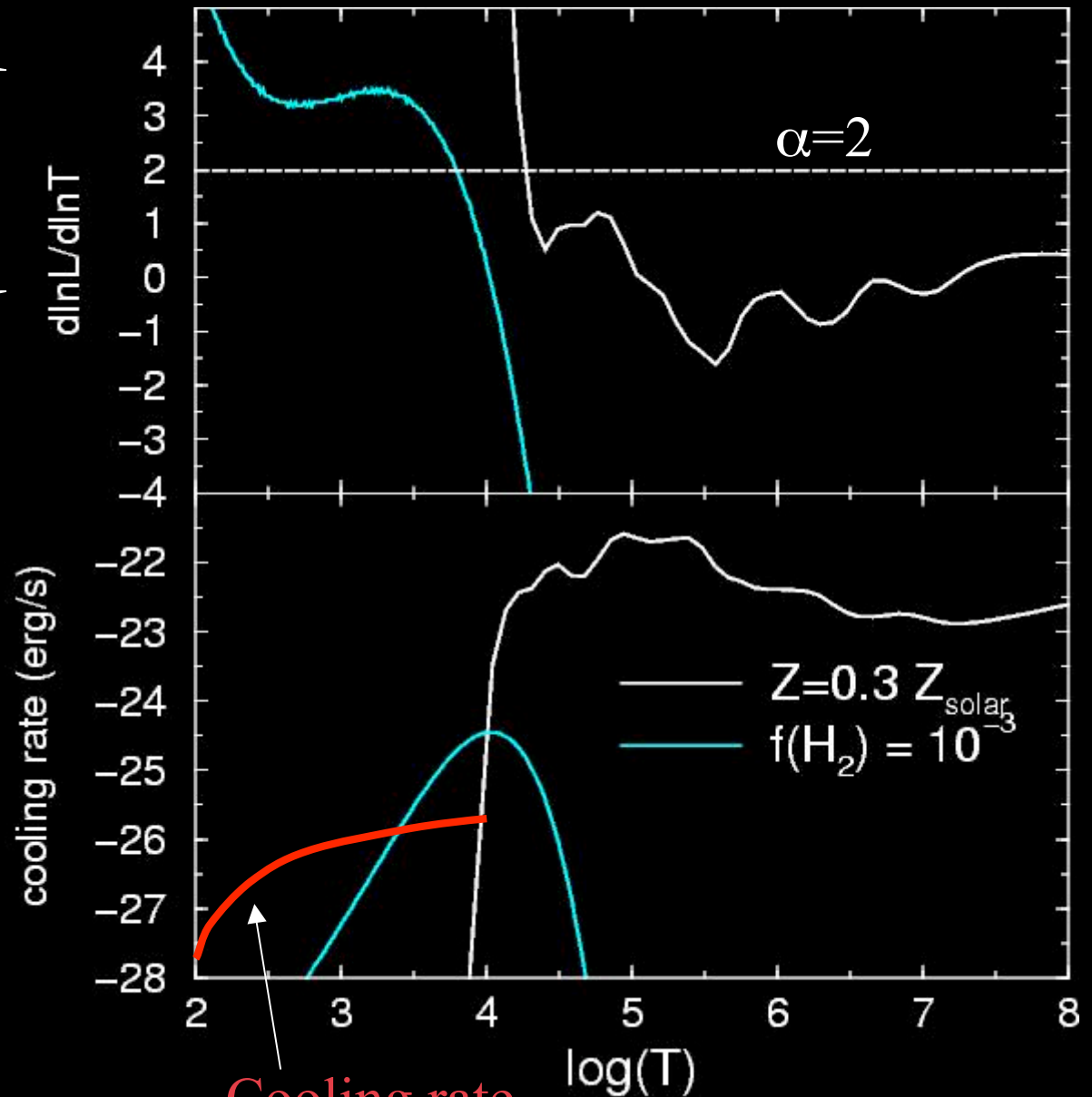


# Thermal (cooling) instability

If cooling rate per is:

$$L = A\rho T^\alpha$$

unstable if  $\alpha < 2$



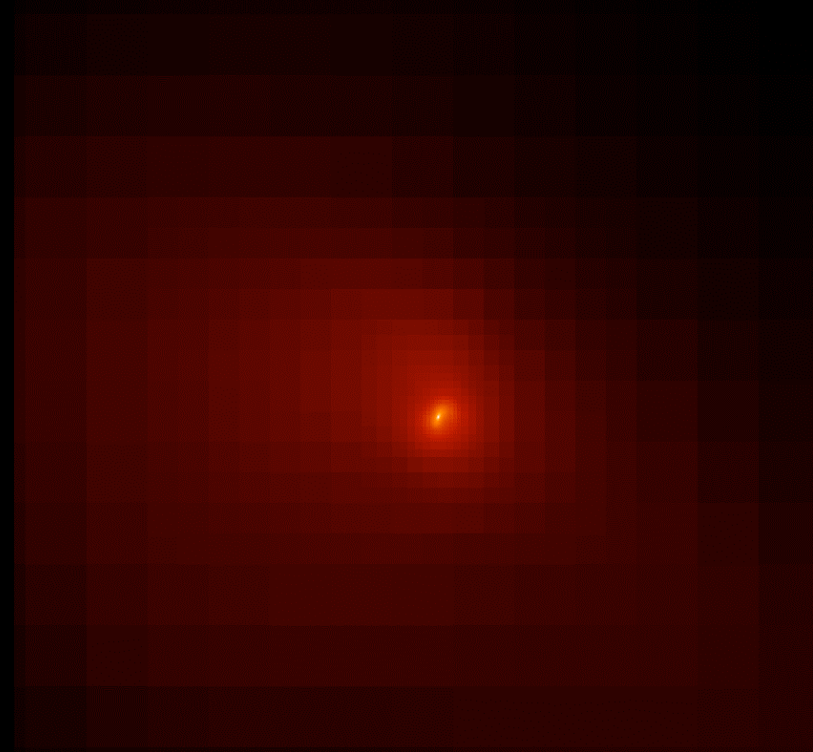
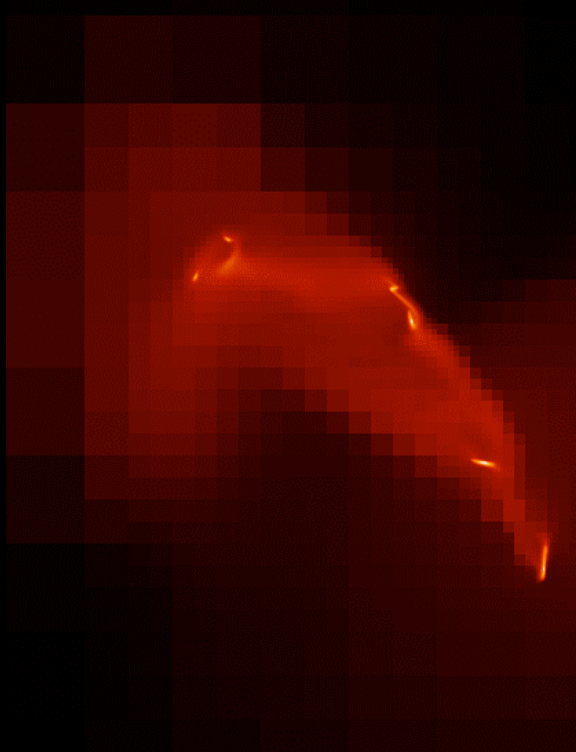
Cooling rate  
For gas with  $Z = 10^{-3}$  solar

# Primordial star formation

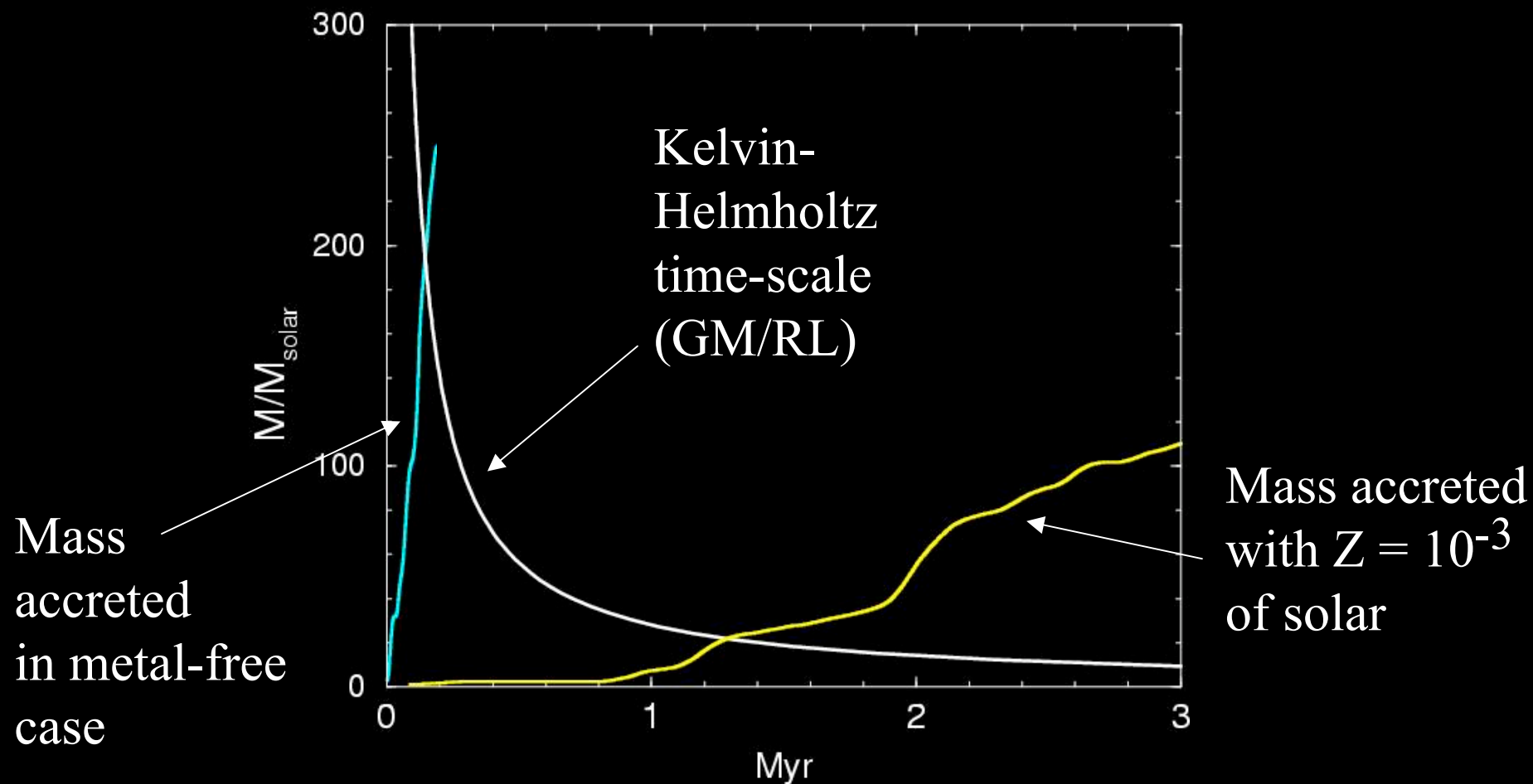
with  $Z = 10^{-3}$  solar

with no metals

0.6 pc



# Metal cooling reduces the resulting masses

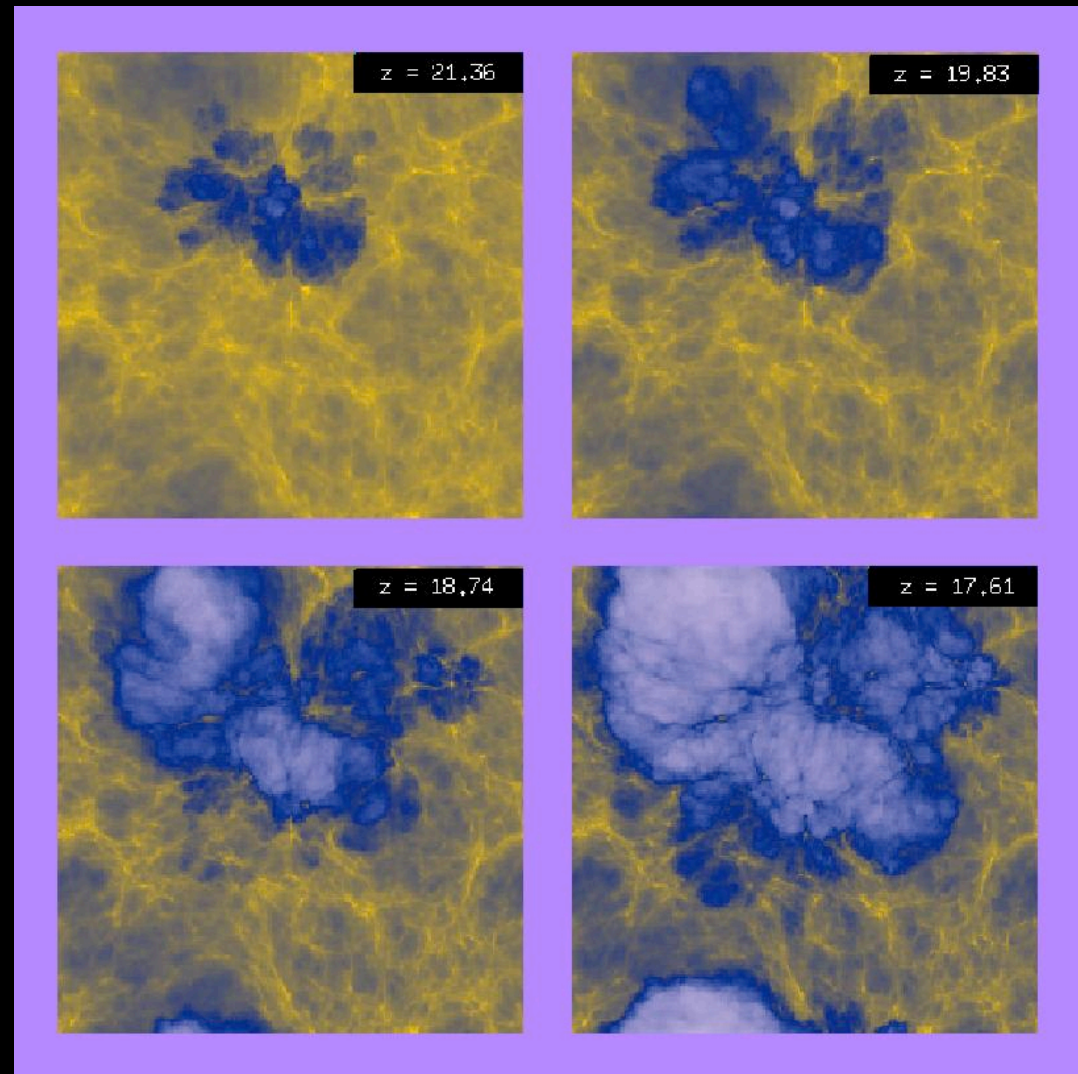


## C. Large-scale reionization

- Current state-of-the art:
  - Freeze hydro, do “radiative transfer”
  - “I-front” tracking
- Radiative transfer hard
  - Ray tracing
  - moment-method
- Reionization difficult because of source clustering
  - $L(\text{bubble}) \sim 10+ \text{ Mpc}$



# Reionization by the First stars?



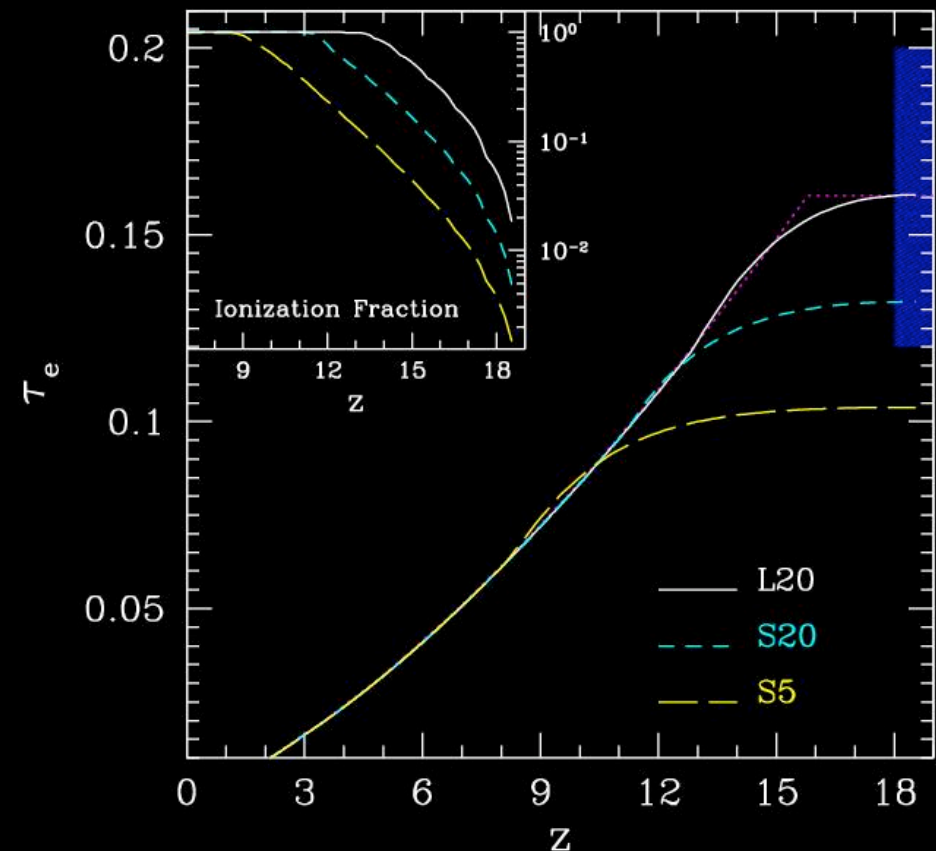
Greg Bryan - First Stars

Sokasian et al (2003)

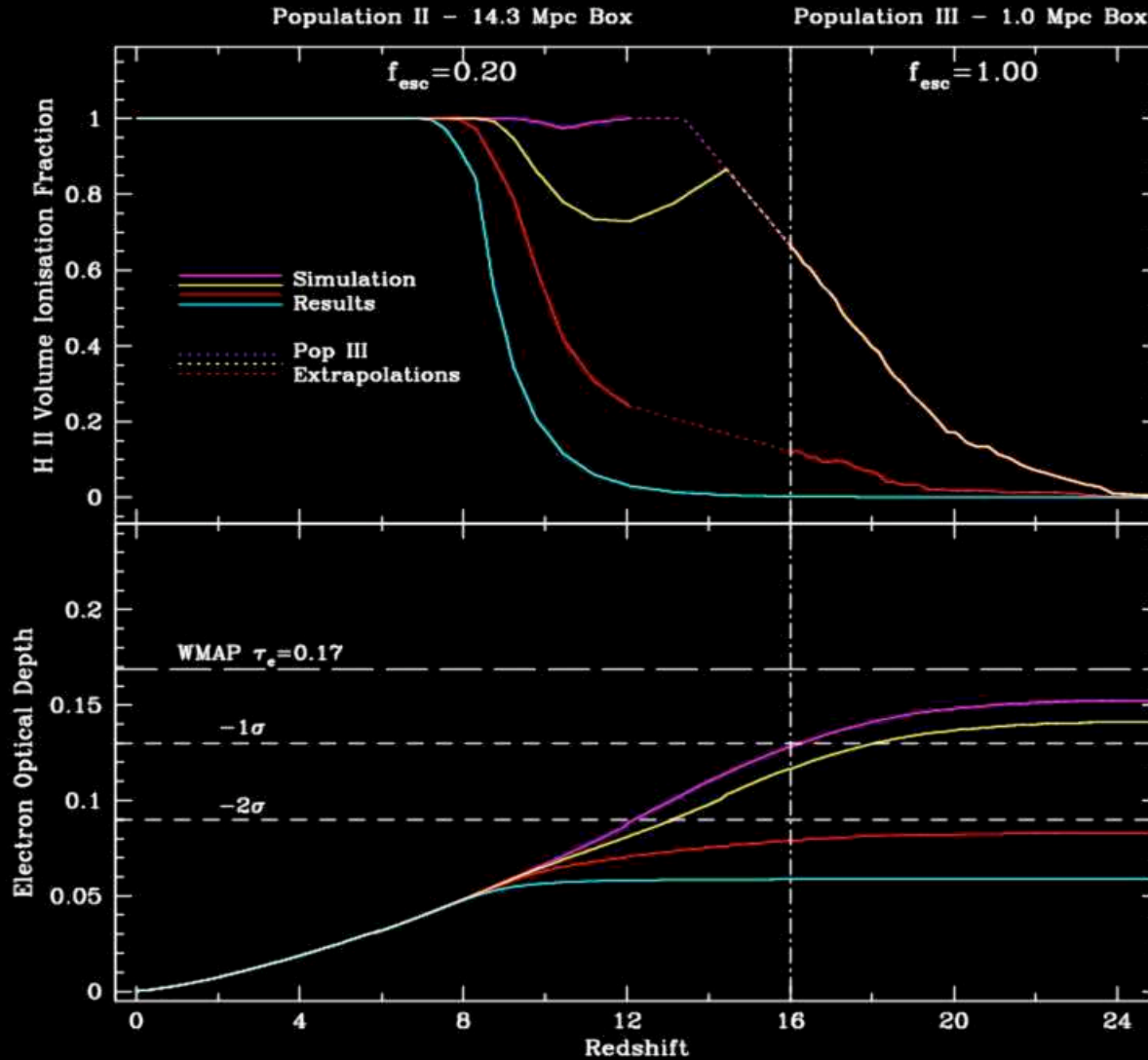
# WMAP $\tau$ value was larger than expected

- Pre-WMAP predictions around  $\tau \sim 0.08$
- Difficult to get  $\tau = 0.17$  with standard IMF
- One way to get earlier reionization is with a top-heavy IMF as produced by the first stars

Ciardi, Ferrara & White (2003)



# Reionization by the First stars?



## D. Open questions

- Impact of ionizing bubbles on later star formation
  - Increase entropy in “fossil HII regions”
  - Increase e- and hence H<sub>2</sub> and cooling
  - HD enhancement (lower mass stars?)
- First SN: Metal mixing
  - When does “first” star mode end?
- First SN: impact of blast waves
  - Fragmentation? (HD)
- Star formation in Type II halos ( $T > 10^4$  K)
  - HI line cooling (fragmentation?)
  - Escape fraction?
  - Number of stars/halo?
- Reionization
  - How does it occur? How does it impact star formation?

## D. Simulations

- Type II ( $10^8$  solar mass,  $T \sim 10^4$  K) halo
  - Refined region:  $L \sim 1$  Mpc with  $M_{\text{sun}}$  resolution
  - All physics
    - H2 photodissociating flux
    - Small-scale Ionizing “bubbles”
    - Metal ejection and mixing
    - blastwaves
- Reionization
  - $L = 50\text{-}100$  Mpc (minimum) for biasing
  - Study 21 cm tomography